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PHYSICAL INTERNET CENTER  
SUPPLY CHAIN & LOGISTICS INSTITUTE  
SCHOOL OF INDUSTRIAL & SYSTEMS ENGINEERING  
GEORGIA INSTITUTE OF TECHNOLOGY

CREATING THE NEXT®

More **COMPLEX** Current World

- Volatile
- Uncertain
- Complex
- Ambiguous

Greater **CHALLENGES** in Logistics and Supply Chain Management (LSCM)

- Flexible
- Visible
- Cooperative
- Hyperconnected

Physical Internet Paradigm

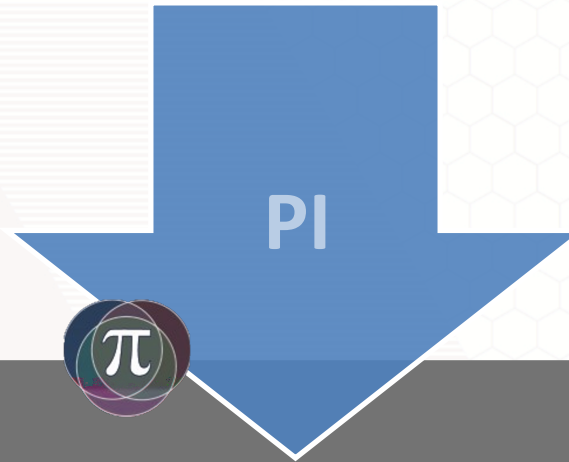


- A Metaphor of the Digital Internet
- To solve the inefficient and unsustainable situation in LSCM

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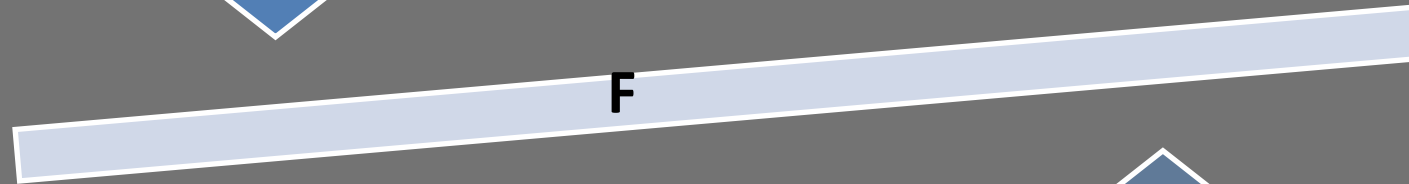
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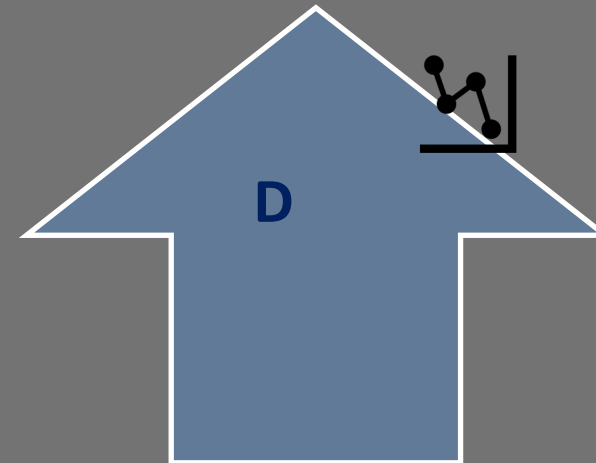


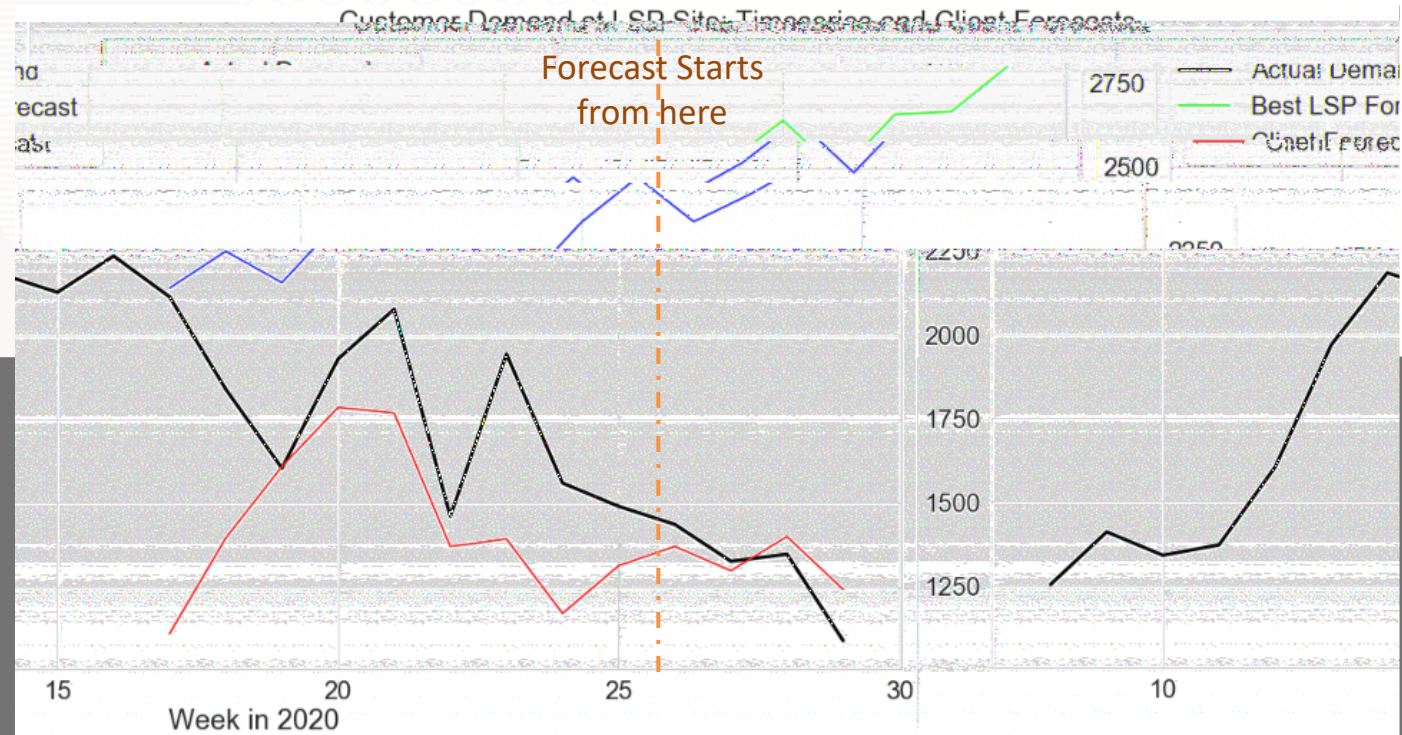
1. Smoothens the installation of necessary **IT system** for data sharing

2. Serves as a key trigger for **digitalizing** LSCM



1. Supports **seamless interconnection** of LSCM
2. Promotes **the dynamic decision-making**

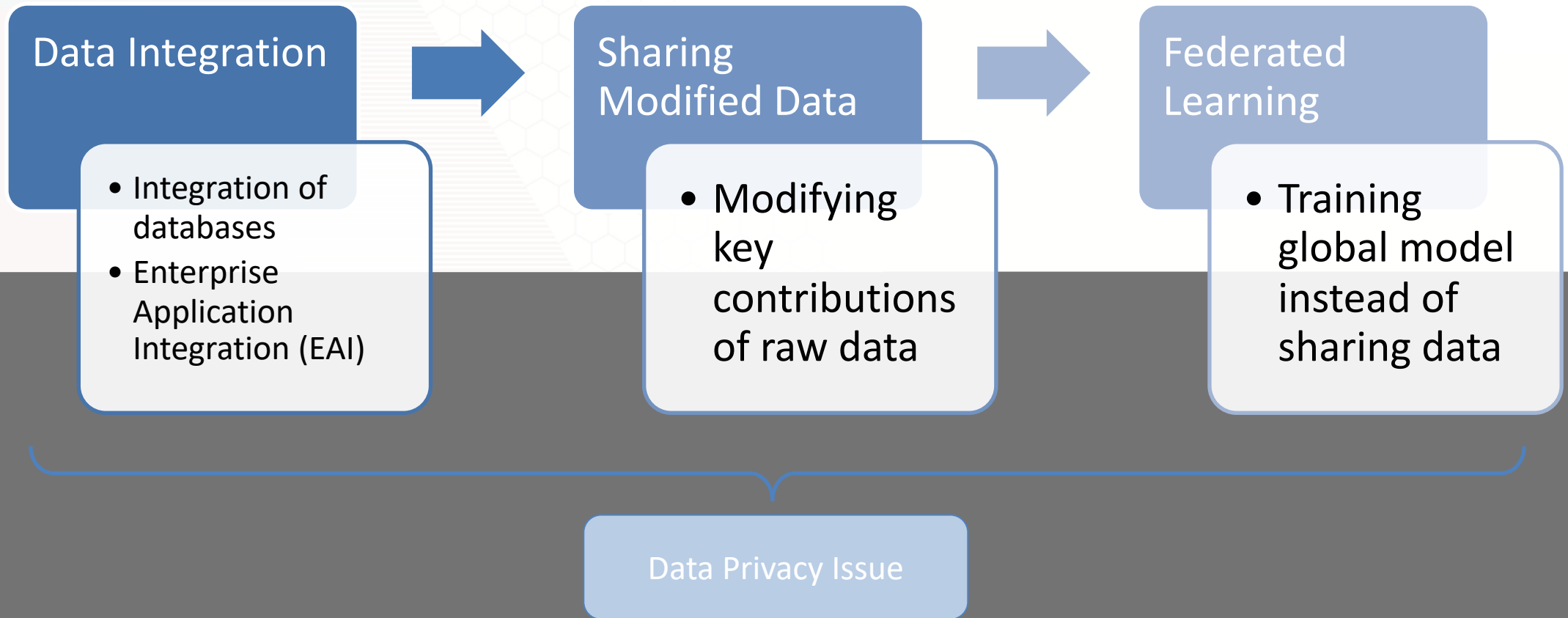




*Figure 1: Comparing logistics service provider's forecasts and client-provided forecasts with real client demand at logistics service provider site*

L

D



**What if only utilizing insensitive data or the data that clients are willing to provide?**



# H D E D

- Hyperconnected data ensemble requires as minimal data as possible
- The content of shared data is dependent on clients' choice
  - Aggregated data such as the overall activity forecast
  - ✗ detail information on product or SKU level
  - ✗ Key models
  - ✗ Production plan

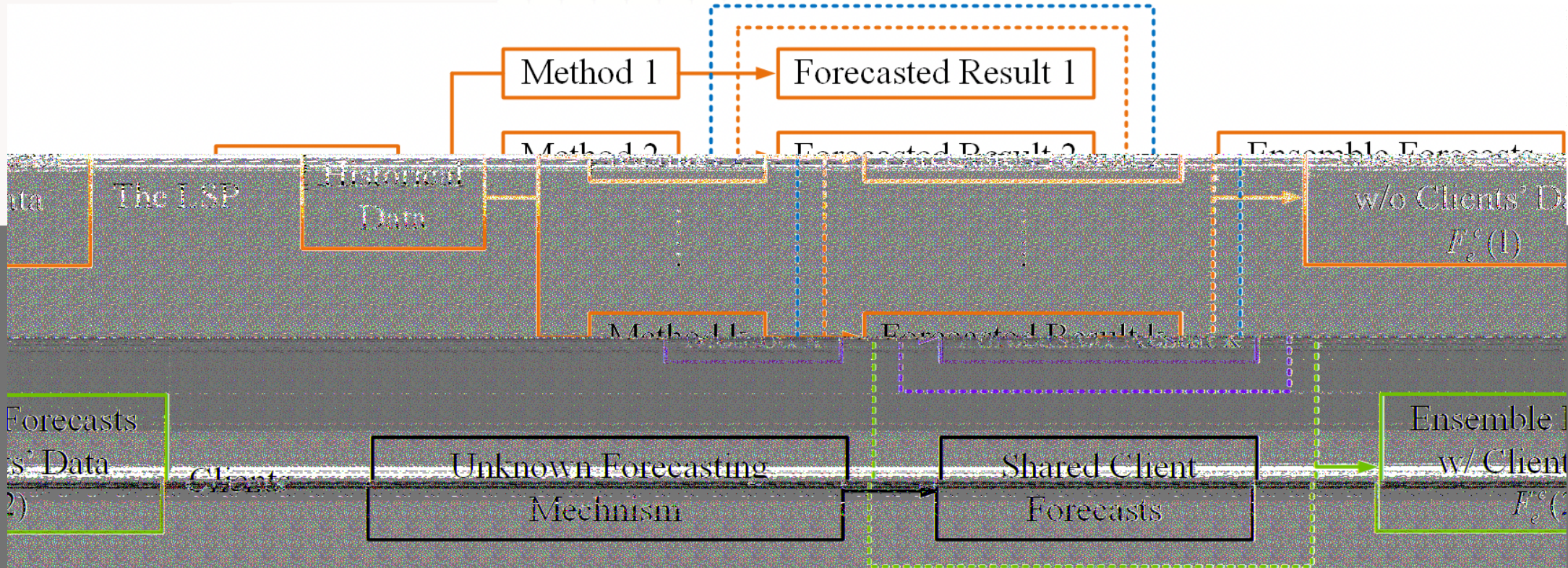
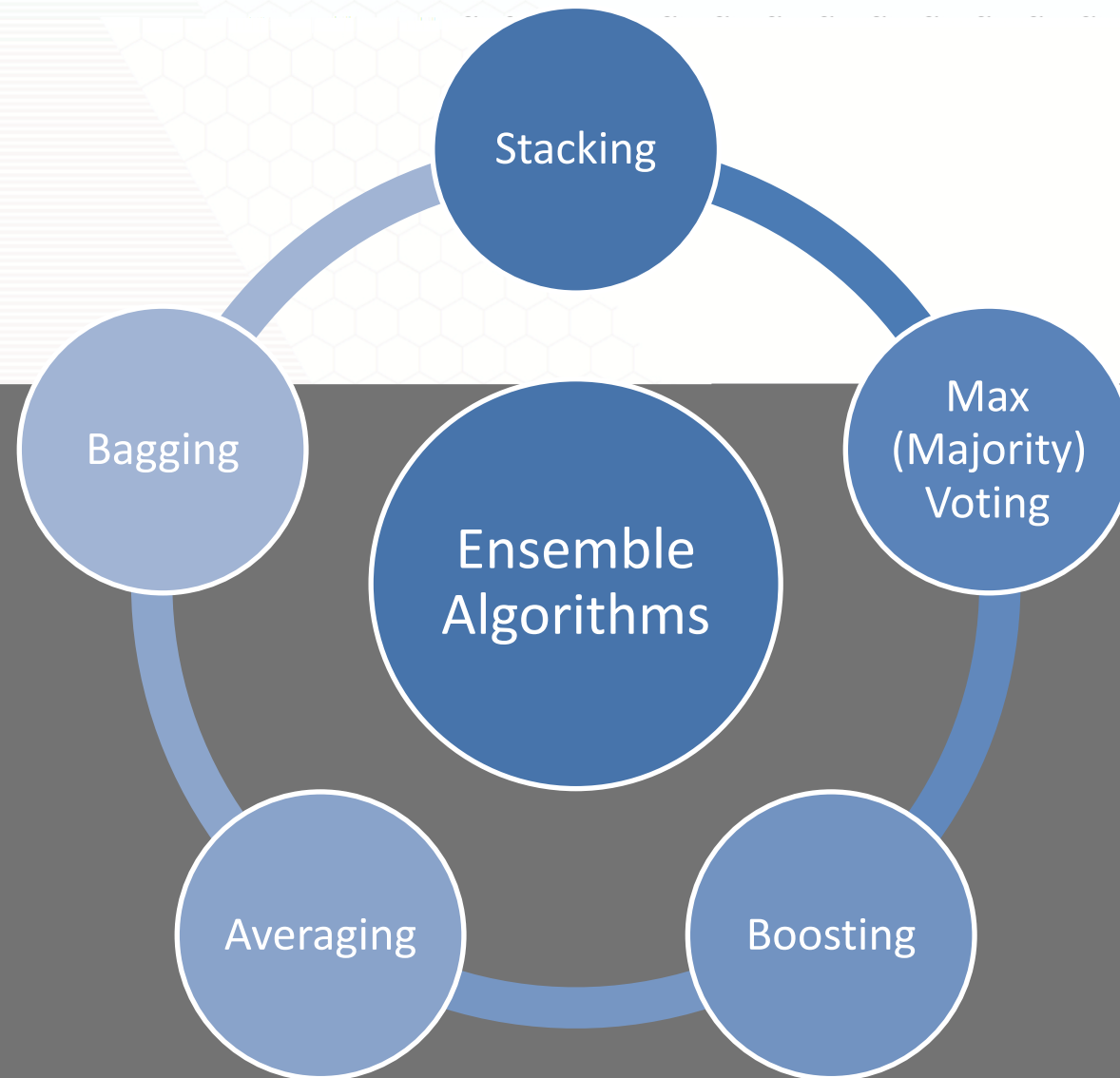


Figure 2: The Framework of logistics demand prediction with hyperconnected data ensembles





# Ensemble Method for including shared Client Forecasts

Under the general framework, we propose a weighted average ensemble method for including forecasts shared by client, with data-driven time series forecasts generated by the LSP:

$$F_e^c(1) = \sum_{j=1}^k F_{LSP_j}^c \alpha_j, \sum_{j=1}^k \alpha_j = 1,$$
$$F_e^c(2) = \sum_{j=1}^k F_{LSP_j}^c \alpha_j + F_c^c \alpha_{k+1}, \sum_{j=1}^{k+1} \alpha_j = 1,$$

where,

- superscript c: the client level
- $F_e^c(1)$ : the ensembled forecast without shared client data
- $F_e^c(2)$ : the final forecast with client data ensembles
- $F_{LSP_j}^c$ : the forecasted result generated by the  $j^{\text{th}}$  method from the LSP
- $F_c^c$ : the forecast shared by clients
- $\alpha_j$ : the  $j^{\text{th}}$  weighting parameter and  $0 \leq \alpha_j \leq 1$

# Experiments: Ensemble Methods for major Logistics Service Provider

A major LSP in North America has access to 2.5 years of historical daily demand data for the client's products at 2 sites, i.e. number of pallets shipped from the site to the destination.

The historical data is subject to seasonal fluctuations, and the LSP incorporates 4 timeseries forecasting methods at a daily level:

- Holt-Winters (HW) method (Winters, 1960) -  $F_{LSP_1}^c$
- Double-Seasonal (DS) method (Taylor, 2003) -  $F_{LSP_2}^c$
- Multi-Seasonality (MS) method (Gould et al., 2008) -  $F_{LSP_3}^c$
- Bouchard-Montreuil (BM) method (Bouchard and Montreuil, 2009) -  $F_{LSP_4}^c$

The client provides weekly aggregated demand forecast for a 13-week horizon for each site. With access to 50 such weekly forecasts (*50 Start Dates*), we conduct experiments to generate logistics demand forecast with data ensembles.

# Experiments: Ensemble Methods for major Logistics Service Provider

We employ Monte-Carlo cross validation technique with a fixed number of iterations  $N = 30$ . For each iteration  $i \in \{1, 2, \dots, N\}$ , we randomly select 80% of dates as the training set from the total set of start-dates  $S$  ( $|S| = 50$ ). Let the training set be  $\hat{S} \in S$ , and the test set  $S' = S \setminus \hat{S}$ , then the training error for  $i$ -th iteration is calculated using the following error metric:

$$E_i^{TR} = \frac{1}{|\hat{S}|} \sum_{s \in \hat{S}} MAE_s^i = \frac{1}{|\hat{S}|} \sum_{s \in \hat{S}} \frac{1}{13} \sum_{h=1}^{13} |A_{s,h}^i - F_{s,h}^i| ,$$
$$E^{TR} = \frac{1}{N} \sum_{i=1}^N E_i^{TR}$$

where

- the superscript/subscript  $i$  refers to the number of the current iteration
- $\hat{S} \in S$  refers to the set of start-dates in the training set
- $MAE_s^i$  refers to the Mean Absolute Error of the ensemble forecasts for a given start-date  $s \in \hat{S}$
- $A_{s,h}^i$  represents the actual demand starting from date  $s$  for  $h$  period ahead
- $F_{s,h}^i$  represents the ensembled forecast made from  $s$  for  $h$  period ahead.

Finally, the optimal weighting parameters are selected by minimizing the final train error  $E^{TR}$ .

# Results: Visualizing the impact of Ensemble Methods

Site 1: 8% decrease in test error  $E^{TE}$  upon integration with the client's forecasts

$$F_e^c(1) = 0.382 * F_{LSP_1}^c + 0.403 * F_{LSP_2}^c + 0.183 * F_{LSP_3}^c + 0.032 * F_{LSP_4}^c$$

$$F_e^c(2) = 0.252 * F_{LSP_1}^c + 0.297 * F_{LSP_2}^c + 0.067 * F_{LSP_3}^c + 0.056 * F_{LSP_4}^c + 0.328 * F_c^c$$

Site 2: 30% decrease in test error  $E^{TE}$  upon integration with the client's forecasts

$$F_e^c(1) = 0.020 * F_{LSP_1}^c + 0.977 * F_{LSP_2}^c + 0.0032 * F_{LSP_3}^c$$

$$F_e^c(2) = 0.0004 * F_{LSP_1}^c + 0.235 * F_{LSP_2}^c + 0.028 * F_{LSP_3}^c + 0.736 * F_c^c$$



# Results: Including client forecasts significantly improves accuracy

Site 1

Demand Forecast Method	CV Error		Improvement	
	Train	Test	Train	Test
Best LSP Forecast $DS$	467.27	456.71		
Ensemble of LSP Forecasts $F_e^c(1)$	459.50	449.71	1.66%	1.53%
Client Forecast $F_{customer}^c$	503.81	482.28	-7.82%	-5.60%
Ensemble with Client Forecast $F_e^c(2)$	444.15	419.50	4.95%	8.15%

Site 2

Demand Forecast Method	CV Error		Improvement	
	Train	Test	Train	Test
Best LSP Forecast $DS$	450.09	485.31		
Ensemble of LSP Forecasts $F_e^c(1)$	450.67	485.75	-0.13%	-0.09%
Client Forecast $F_{customer}^c$	342.15	359.69	23.98%	25.88%
Ensemble with Client Forecast $F_e^c(2)$	324.42	338.09	27.92%	30.34%

Improvement  $I$  is measured as the decrease in CV error  $E^{T:TR \text{ or } TE}$  of method  $F$  versus the best LSP forecast  $F'$

$$I = \frac{E_{F'}^T - E_F^T}{E_{F'}^T}$$

The ensemble of the LSP's data with the insensitive client's data improves overall forecasting accuracy

## C

- Proposed a hyperconnected data ensembled framework based on data sharing under Physical Internet (PI) paradigm
  - Requires as minimal data as possible
  - The content of shared data is dependent on the clients' choices in order to avoid the data privacy issue
- Conducted computational experiments
  - Demand prediction accuracy increases by integrating the aggregated forecasts from clients

Thanks!

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